Forest Canopy Height Extraction in Rugged Areas With ICESat/GLAS Data

Xiaoyi Wang, Huabing Huang, Peng Gong, Caixia Liu, Congcong Li, and Wenyu Li

Abstract—Geoscience Laser Altimeter System data have been widely used in forest canopy height extraction. It is still challenging over rugged areas. In this paper, we propose a forest canopy height extraction method consisting of the Savitzky–Golay filter and fitting, Sigbeg determination based on the fitting results, and slope correction for rugged areas, particularly for slopes ranging from 5° to 15°. The method was applied to both the Xinlin Forest, China, and Santa Rosa National Park, Costa Rica. The performance of this method was validated by field measurement and Laser Vegetation Imaging Sensor data. The goodness of fit ($R^2$) reached 0.73 and 0.78, respectively, and root-mean-squared errors (RMSEs) were 2.27 and 3.75 m over the two areas, respectively.

Index Terms—Forest inventory, global forest monitoring.

I. INTRODUCTION

FOREST canopy height is an important structural parameter in forest inventory and helpful to the understanding of forest ecosystem function and modeling of terrestrial carbon cycling [1], [2]. The Geoscience Laser Altimeter System (GLAS) onboard the National Aeronautics and Space Administration (NASA) Ice, Cloud, and land Elevation satellite (ICESat) is the only direct measurement sensor that can provide fast tree height solutions at the global scale [3], [4]. However, the accuracy of the resulting tree heights is affected by terrain slope and roughness [5].

The beam of GLAS covers an area of approximately 65 m in diameter and records the reflection waveform of aboveground objects and ground surface, consisting of a series of discrete sampling points with multiple peaks. NASA provides users with land surface altimetry product, GLA14, derived from GLAS raw waveforms. The widely accepted procedure for canopy height extraction is as follows.

Initially, a waveform is filtered with a Gaussian filter, and the width of the filter is almost the same as the transmitted waveform. After that, the “Signal beginning point” (Sigbeg), which stands for the tree top, is defined as the point which goes beyond the threshold. Then, discrete sampling points are expressed as the sum of multiple Gaussian waves through Gaussian decomposition, and the last Gaussian wave peak representing the ground surface could be determined. Eventually, the tree extraction is calculated by the vertical distance between Sigbeg and the last Gaussian peak.

Studies have shown that the last Gaussian wave peak may be caused by small trees [6] or noises and does not stand for the ground return. Some improvements have been made to choose the stronger one among the last two Gaussian decomposition results [7]. Whereas the chosen peak may not be able to represent ground without proper noise reduction, there have been some improvements of waveform denoising. Wu [8] and Wang [9] introduced the wavelet transform method. However, with the appropriate widow size and threshold changing with different situations, it is difficult to obtain unified parameters suitable for large areas.

The threshold to define Sigbeg is calculated as the mean background noise value plus $N$ times of noise standard derivation (std), while the result is linked closely to the background noise information given by GLA05 (i.e., the mean and standard derivation of noise), and the choice of noise standard derivation coefficient $N$ varies with each study. Chen [6] reports that the most suitable $N$ to predict vegetation height differs at different sites and is not constantly affected by background noise. To our knowledge, all existing Sigbeg determination methods rely on predefined empirical thresholds of noises while completely ignoring the information from the waveform distribution. There has only been a paucity of research about Sigbeg calculation based on GLAS waveform [8], [10].

The processes and improved methods mentioned earlier are insufficient over rugged areas, while slope correction (SC) is needed. Despite the difficulties in SC, efforts have been undertaken to reduce the influence of the slope. Lefsky et al. [11] established the relationship between canopy extraction and waveform parameters (waveform extent, leading edge extent, and trailing edge extent) or waveform extent and ancillary digital elevation model (DEM) [12] with multiple regression, but the height extraction when applied at the global scale appears problematic [4], [13]. Pang et al. [14] set up the regression between waveform parameters and crown-area-weighted height.
While those methods are essentially site specific, the results depend on the quantity and accuracy of field measured data. Lee et al. [15] removed the slope effect with approximate geometric correction. The correction eliminates the slope influence of the footprint center, and the calculated result relies on the accuracy of slope estimation.

This research is motivated by the requirement in forest land cover mapping at the global scale [16]. In order to better distinguish forest from shrubs and grasslands, it is desirable to have accurate estimation of tree heights. The objective of this research is to obtain more accurate forest canopy height in rugged areas, particularly for slopes below 15° using GLAS data. We propose a way to improve the height extraction process and further investigate the algorithm of SC calculated from the waveform which is suitable for randomly distributed forests.

II. STUDY AREA AND DATA

A. Study Area

The research was conducted in the Xinlin Forest and Santa Rosa National Park (SRNP), respectively. Xinlin Forests is the jurisdiction of Daxing’anling Prefecture, located in Heilongjiang Province, China. The area belongs to highland cold temperate continental monsoon climate. The forest is dominated by coniferous forest with a small number of broad-leaved and mixed forests scattering in the lower valleys. This area was rarely affected by large fires and other disturbances, and the age class of V and VI or relatively uniform growing forests (judged by the visual interpretation of the height and shadow of trees from Google Earth high resolution imagery) were selected to assess the results, whose dominant height (evaluated by GLAS) was close to the average height (collected from inventory data).

2) Field Experiment Data: National Forest Management Inventory (NFMI) data were used to evaluate the canopy extraction of the Xinlin Forest. The inventory data were gathered during the year of 2005 and 2006 at subcompartment level, and the time was consistent with the GLAS data. Since only average canopy height was recorded in NFMI data, mature forests (with the age class of V and VI) or relatively uniform growing forests were selected to assess the results, whose dominant height (evaluated by GLAS) was close to the average height (collected from inventory data).

3) LVIS Data: Airborne laser altimeter system LVIS data over the SRNP area were provided by the LVIS team in the Laser Remote Sensing Branch at the NASA Goddard Space Flight Center. The LVIS data were acquired in March 2005 with a footprint size of 20 m. The LVIS Ground Elevation product was used, recording the 25%, 50%, 75%, and 100% of cumulative return energy relative to the total energy, and 100% of the waveform energy (RH100) was considered as the treetop height [18]. Since each GLAS footprint embeds 7–9 LVIS shots, the maximum of the RH100 within each GLAS footprint was applied to evaluate the canopy extraction computed from GLAS data.

4) SRTM Data: The Shuttle Radar Topography Mission (SRTM) is an international project spearheaded by the National Geospatial-Intelligence Agency and NASA. It provides users with high-resolution digital topographic data. Three arcsecond (90 m) SRTM3 data from the Consortium for Spatial Information (http://csi.cgiar.org) are available to generate slope data for the SRNP area, and gaps have been filled by using the TOPOGRID algorithm with auxiliary DEM [19]. The data set was processed with the “Slope” function in Arcgis 9.3.

III. HEIGHT EXTRACTION METHOD

A. Waveform Preprocessing

1) GLA01 provides fully received waveforms with approximate geolocations. GLA05 offers the waveform-based range correction data, and GLA14 contains land surface altimetry with accurate location. To fit the full waveform with precise latitude and longitude coordinates and corresponding modification data, the fields of UTC time and Shot Time were used to connect these three products.

B. Data Collection

1) GLAS Data: NASA provides 15 GLAS data products (GLA01–GLA15) and supplies users with the surface elevation distribution within each footprint. The near-polar orbit satellites covered between 86° N and 86° S globally with the altitude of approximately 600 km. The footprint diameter is about 65 m, varied in size and shape, and the vertical accuracy could reach 15 cm in areas with low slope [17].

The products used in this study include GLA01, GLA05, and GLA14 from Rlease-33. For the Xinlin site, the GLAS footprints were from the campaign of L3C (May–June 2005), L3D (October–November 2005), L3F (May–June 2006), and L3G (October–November 2006). For the SRNP site, only the campaigns of L3C and L3D were available according to the
Fig. 1. Study areas. (a) Xinlin Forest in Heilongjiang Province, China, and (b) SRNP in Guanacaste Province, Costa Rica. The points indicate locations and slope level of GLAS data.
B. Waveform Decomposition

1) Noise Reduction With SG Filter: The Savitzky–Golay (SG) filter has been put forward as a polynomial least squares fitting within a filter window [20]. The window selects part or the whole of the signal and calculates the weighted average with certain degree of polynomial weighting. The weighting is designed to keep higher moments of the data and cut down the bias caused by the filter. Chen [21] has indicated that this filter deals well with narrow peaks. The heights and widths of the waveform are quite extraordinarily preserved, at the cost of not reducing as much noise as a low-pass filter.

Here, a global filter is utilized to further reduce the influence of noise, and the equation of the polynomial least squares fitting for the waveform can be expressed as follows:

\[ Y = \frac{\sum_{i=-m}^{m} C_i X_i}{N} \]  

where \( X_i \) is the original waveform, \( Y \) is the smoothed waveform, \( N \) is the number of point participating calculation and equals the size of the waveform, and \( m \) equals half of the waveform size. \( C_i \) stands for the weighting coefficient of the \( i \)th point within the filter window, and it satisfies the least squares condition

\[ \sum_{i=-m}^{m} [Y(X_i - X)]^2 = \min . \]  

Savitzky and Golay listed the coefficients, and they were corrected by Steinier et al. [22], which can be used directly.

2) Waveform Fitting: Waveform fitting was processed by applying the method in [23]. Two inflection points are first calculated to determine each Gaussian waveform, and the Trust Region Reflective algorithm is repeated to reach an effective fitting result.

C. Sigbeg Determination

We define Sigbeg to be independent of noise estimation and experimental trials of parameter \( N \). In view of Gaussian decomposition results, the Sigbeg point is identified based on the normal cumulative distribution function \( \phi(x) \), which can completely describe the probability distribution of random variable “signal time” and could find the probability \( P(x) \) whose signal time with a normal distribution at a value is less than or equal to a specific “signal time”

\[ P(\mu - k\sigma < x < \mu + k\sigma) = 2\phi(k) - 1 \]  

where \( t = (x - \mu)/\sigma \), \( \mu \) and \( \sigma \) stand for the estimated mean and standard derivation of the first Gaussian decomposition result. From (3) and (4), 99.73% of the signal information within the interval of \( \mu \pm 3\sigma \) would be retained [24]. As a
TABLE I

<table>
<thead>
<tr>
<th>0°</th>
<th>5°</th>
<th>10°</th>
<th>15°</th>
<th>broaden</th>
<th>broaden</th>
<th>broaden</th>
</tr>
</thead>
<tbody>
<tr>
<td>0m</td>
<td>20m</td>
<td>24m</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>canopy</td>
<td>28.0±0.00</td>
<td>40.6±0.55</td>
<td>12.6±0.55</td>
<td>56.2±1.00</td>
<td>28.2±1.09</td>
<td>67.8±1.30</td>
</tr>
<tr>
<td>ground</td>
<td>15.0±0.00</td>
<td>29.0±0.00</td>
<td>14.0±0.00</td>
<td>45.0±0.00</td>
<td>30.0±0.00</td>
<td>58.0±0.00</td>
</tr>
<tr>
<td>15m</td>
<td>24.0±0.71</td>
<td>36.6±0.89</td>
<td>12.6±0.55</td>
<td>53.8±2.77</td>
<td>29.8±2.86</td>
<td>65.0±2.12</td>
</tr>
<tr>
<td>ground</td>
<td>15.0±0.00</td>
<td>29.0±0.00</td>
<td>14.0±0.00</td>
<td>46.0±0.00</td>
<td>31.0±0.00</td>
<td>58.0±0.00</td>
</tr>
</tbody>
</table>

result, signal time $T < \mu - 3\sigma$ could be discarded, with little possibility of occurrence and negligible loss of information. Sigbeg estimated in this research could be searched as the point where $\text{Sigbeg}_{3\sigma} = \mu - 3\sigma$.

D. SC

When a laser beam interacts with a flat surface, the variance of the received waveform is the same as that of the transmitted waveform recorded in GLA01 [shown in Fig. 2(a)]. With the increase of the slope gradient, the variance of the received waveform broadens accordingly [5]. While the laser beam interacts with natural growing trees that are randomly distributed, the distance between the centroid of the first and the last peak will represent the trees’ mean height. As terrain slope and roughness increase, the waveform distance standing for the mean height would remain the same, while the variance of the received waveform of trees and ground would increase in a similar number of bins [see Fig. 2(b)] [25]. Here, the variance of each decomposed Gaussian waveform was calculated as three times the standard derivation. Fig. 3 and Table I show the simulation results using the 3-D model [26], [27] which illustrates the aforementioned statement.

Three-dimensional scenes were put into the model by assuming that trees are distributed randomly with a height of 20 m, and the shape of the canopy was set as an ellipsoid for deciduous trees and as a cone for conifer trees. The model was parameterized using simulated forest stand attributes from [26, Table II(b)] with different descriptions for deciduous and conifer trees. Transmitted laser was assumed in 5-ns duration of Gaussian shape, and the received laser was digitalized in 1 ns according to the resolution of ICESat/GLAS data (see Table I).

Fig. 3 illustrates the simulation results with a tree coverage of 40%. It also reveals that the waveform of the canopy and ground can be distinguished for slopes of 15° or less. When the slope increases furthermore, the ground and canopy peaks would gradually merge. When the slope increases to 20°, it would cause difficulty in height extraction.

Based on the aforementioned theory, the difference between the variance of the last Gaussian waveform (stands for the ground) and transmit waveform (recorded in GLA01) was considered as being caused by the slope. The slope effect on canopy extraction was reduced by obtaining the correct Sigbeg with the method of compressing the first Gaussian waveform (represents the canopy) from the “broadened waveform” while keeping the centroid of each part unchanged. The Sigbeg point could be restored from $\text{Sigbeg}_{\text{slope}}$ correctly. The correction was achieved with

$$\text{Sigbeg} = \text{Sigbeg}_{\text{slope}} - 3 \times (\sigma_{\text{last \ peak}} - \sigma_{\text{transmit}}).$$

IV. RESULTS

Waveform decomposition results in this research and the GLA14 were shown in Fig 4. Comparing $\text{Sigbeg}_{3\sigma}$ and $\text{Sigbeg}_{\text{GLAS}}$ of Fig. 4(a) and (b), it can be found that the relative value of $\text{Sigbeg}_{3\sigma}$ was fixed which describes the signal beginning point properly, while the relative value of $\text{Sigbeg}_{\text{GLAS}}$ varied. Since $\text{Sigbeg}_{\text{GLAS}}$ was calculated by
using \( \text{mean} + 4.5 \times \text{std} \) of the noise, the result was influenced by noise, particularly for the singular value in Fig. 4(b). The trail of different \( N \), which equaled 4.5 for the GLA14 of version 33, 4.5 for Simard \textit{et al.} [4] and Lefsky \textit{et al.} [11], 4 for Lefsky \textit{et al.} [12], and 3 for Sun \textit{et al.} [25], would face similar problems, and the relative value swung for different waveforms.

The ground peak of GLA14 was affected by noise as well, and the last peak does not stand for ground in both Fig. 4(a) and (b). In Fig. 4(b), the real ground corresponds to four peaks in GLA14 results. Although the improved method of choosing the stronger one among the last two Gaussian decomposition peaks was suitable for Fig. 4(a), it still missed the ground for Fig. 4(b). The fitting results with SG filtering in this research could properly reduce the noise and preserve the shape of the waveform. While it might still ignore some detailed information, it is not suitable for multilayer building height extraction.

In Fig. 4(b), the slope of the footprint calculated from SRTM data is 19.6\(^{\circ}\), as a result the ground waveform was broadened. The canopy height in GLA14 (\( H_{\text{GLA14}} \)) was 33.774 m, and the SG filtering result without SC (\( H_{\text{SG}} \)) was 29.014 m. The canopy height was overestimated owing to the influence of the slope. After SC, the result (\( H_{\text{SC}} \)) was 20.324 m which was closer to the field data, 19 m. Since the slope is relatively large, the peaks of canopy and ground are merged which may introduce some errors.

\( R^2 \) is a frequently used measure of goodness of fit. The root-mean-squared error (RMSE) is used to describe the differences between values estimated (canopy height extracted in this research) and values actually observed. The algorithm aforementioned was applied to 166 footprints over the Xinlin Forest area, and 119 footprints were from the rugged area with slopes above 5\(^{\circ}\). The goodness of fit (\( R^2 \)) with the aforementioned method was 0.73, and the RMSE was 2.27 m as shown in Fig 5(a). The regression line revealed that the results with our method fit well with the field data. Since the inventory data were recorded in integer numbers, it was shown relatively gathered. Owing to the random tree distribution, the results in rugged areas were good (see Table II). RMSE increased when the slope became steeper. At lower than 15\(^{\circ}\) slopes, RMSE remained relatively stable. However, there was a significant rise when the slope exceeded 15\(^{\circ}\). The canopy peak would merge with the ground peak, making it difficult to extract tree height. Seven footprints with relatively low accuracy were marked by red stars, and they all have greater than 15\(^{\circ}\) slopes.

Four footprints marked with purple stars also had low accuracies, and they were distributed at the border of the forest. The SC may overestimate the height when trees gathered on the upper portion of the footprints along the slope since the peak of canopy waveforms would move upward with the increase of the slope. Conversely, it may underestimate the height when trees gather at the lower portion of the footprints along the slope.

The regression line for the SRNP area includes 39 footprints. The goodness of fit (\( R^2 \)) with our method is 0.78, and the RMSE is 3.01 m as shown in Fig 5(b). In this area, SRTM data were used to calculate the slope within each footprint. There are eight footprints located on slopes ranging from 5\(^{\circ}\) to 15\(^{\circ}\), and their canopy heights range from 12.62 to 28.83 m. The RMSE of these footprints is 3.75 m. In the flat area with less than 5\(^{\circ}\) slopes, there were 29 footprints, and their RMSE was only 2.34 m. This indicates that the method is also applicable to flat areas. Two footprints with low accuracies were marked by purple stars whose slopes were greater than 20\(^{\circ}\).

The fitting statistics of different slope levels were represented in Table III. Since there were no sufficient data for slopes exceeding 15\(^{\circ}\), the results were not shown in the table. The second row in Table III depicted the variation of fitting statistics when Sigbeg_3\( \sigma \) of improved result (in the first row) was replaced by Sigbeg_GLAS, \( R^2 \) decreased from 0.78 to 0.70, and RMSE increased from 3.01 to 3.69 m. It can be found that the calculation of the Sigbeg played an important role in height extraction. As a comparison, the results of GLA14, Lefsky, and Lee were shown in the table. Lee’s result [15] can be computed as follows:

\[
H_{\text{Lee}} = H_{\text{GLA14}} - \frac{65}{2} \times \tan(\text{slope})
\]

and the diameter of the footprint was set to 65 m. Lefsky’s result [3] was calculated using the equation of broadleaf.
TABLE II
ACCURACY FOR DIFFERENT SLOPE LEVEL IN XINLIN AREA

<table>
<thead>
<tr>
<th>R²</th>
<th>RMSE(m)</th>
<th>RMSE(0°-5°)(m)</th>
<th>RMSE(5°-15°)(m)</th>
<th>RMSE(15°-20°)(m)</th>
<th>RMSE(&gt;20°)(m)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Improved</td>
<td>0.73</td>
<td>2.27</td>
<td>1.27</td>
<td>2.12</td>
<td>4.05</td>
</tr>
<tr>
<td>Sigbeg/GLAS</td>
<td>0.70</td>
<td>2.69</td>
<td>2.63</td>
<td>5.93</td>
<td></td>
</tr>
<tr>
<td>Lee</td>
<td>0.59</td>
<td>4.10</td>
<td></td>
<td>7.96</td>
<td></td>
</tr>
<tr>
<td>Lefsky</td>
<td>0.53</td>
<td>3.36</td>
<td>2.34</td>
<td>4.79</td>
<td></td>
</tr>
<tr>
<td>GLA14</td>
<td>0.70</td>
<td>6.44</td>
<td>4.07</td>
<td>10.00</td>
<td></td>
</tr>
</tbody>
</table>

As shown in Table III, the improved canopy height outperforms all others with the highest R² and lowest RMSE. Lee’s result may be influenced by the accuracy of slope and footprint size. The global parameter of Lefsky’s equation did not perform well for local sites as ours, and the calculated Lorey’s height has some difference with the canopy height which can lead to slight bias.

V. CONCLUSIONS AND DISCUSSION

A processing flow of GLAS data for canopy height extraction over rugged terrains is presented here. Compared with existing methods, our method produced results which are in better agreement with validation data. The method is suitable for canopy height extraction with GLAS data with lower than 15° slopes under a condition of random distribution of trees.

For clustered forests, the method would be influenced if the footprints were located at the border of forests. The inventory data of the Xinlin area were collected only by averaging tree footprints. For clustered forests, the method would be influenced if the mean dominant tree height derived using crown delineation with discrete return lidar data, “Validation of the ICESat vegetation product using crown-area-weighted mean height derived using crown delineation with discrete return lidar data,” Can. J. Remote Sens., vol. 34, no. 5, pp. 471–484, Nov. 2008.


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